MATH 5 Course Outline as of Summer 2019

CATALOG INFORMATION

Dept and Nbr: MATH 5   Title: INTRO TO LINEAR ALGEBRA
Full Title: Introduction to Linear Algebra
Last Reviewed: 2/8/2021

Units			Course Hours per Week		Nbr of Weeks	Course Hours Total	
Maximum	3.00		Lecture Scheduled	3.00	17.5	Lecture Scheduled	52.50
Minimum	3.00		Lab Scheduled	0	17.5	Lab Scheduled	0
			Contact DHR	0		Contact DHR	0
			Contact Total	3.00		Contact Total	52.50
			Non-contact DHR	0		Non-contact DHR	0

Total Out of Class Hours: 105.00   Total Student Learning Hours: 157.50

Title 5 Category: AA Degree Applicable
Grading: Grade Only
Repeatability: 00 - Two Repeats if Grade was D, F, NC, or NP
Also Listed As:
Formerly:

Catalog Description:
An introduction to linear algebra including the theory of matrices, determinants, vector spaces, linear transformations, eigenvectors, eigenvalues and applications.

Prerequisites/Corequisites:
Completion of MATH 1B or higher (MATH)

Recommended Preparation:
Concurrent enrollment in MATH 1C or MATH 2

Limits on Enrollment:

Schedule of Classes Information:
Description: An introduction to linear algebra including the theory of matrices, determinants, vector spaces, linear transformations, eigenvectors, eigenvalues and applications. (Grade Only)
Prerequisites/Corequisites: Completion of MATH 1B or higher (MATH)
Recommended: Concurrent enrollment in MATH 1C or MATH 2
Limits on Enrollment:
Transfer Credit: CSU;UC.
Repeatability: Two Repeats if Grade was D, F, NC, or NP

ARTICULATION, MAJOR, and CERTIFICATION INFORMATION:

AS Degree:	**Area**		Effective:	Inactive:
CSU GE:	**Transfer Area**		Effective:	Inactive:
IGETC:	**Transfer Area**		Effective:	Inactive:
CSU Transfer:	Transferable	Effective:	Spring 1989	Inactive:
UC Transfer:	Transferable	Effective:	Spring 1989	Inactive:

CID:
CID Descriptor:MATH 250   Introduction to Linear Algebra
SRJC Equivalent Course(s):   MATH5

Certificate/Major Applicable:
Major Applicable Course

COURSE CONTENT

Student Learning Outcomes:
At the conclusion of this course, the student should be able to:
1. Determine the dimensions of a variety of vector spaces.
2. Find eigenvalues, eigenvectors and eigenspaces of matrices and linear transformations.
3. Determine matrix representations of linear transformations and linear operators.

Objectives:
Upon successful completion of the course, students will be able to:
1. Solve systems of linear equations using Gauss-Jordan elimination, matrix inverses and Cramer's rule.
2. Define operations on matrices, invertibility, elementary matrices, orthogonal matrices.
3. Use properties of determinants including row reduction to evaluate determinants.
4. Invert matrices using adjoints and cofactors.
5. Define vector spaces, subspaces, span, linear independence, bases, dimension, inner product spaces, and orthonormal bases.
6. Determine the nullspace or kernel and range of a matrix and linear transformation.
7. Determine the injectivity and surjectivity of linear transformations and linear operators.
8. Define and determine dimension, rank and nullity of a matrix.
9. Determine the matrix representation of a linear transformation using different bases and using change of basis.
10.Determine eigenvalues, eigenvectors and eigenspaces of matrices and linear transformations.
11. Apply proof writing techniques to prove basic results in linear algebra.

Topics and Scope:

I. Vectors
    A. Review of vectors in 2- and 3-dimensional real space
    B. Vectors in n-dimensional real space
    C. Properties of vectors in n-dimensional real space, including dot product, norm of a vector, angle between vectors, & vector orthogonality

II. Matrices
   A. Systems of linear equations
   B. Gauss-Jordan elimination
   C. Operations on matrices, including the transpose
   D. Invertibility
   E. Triangular matrices
   F. Elementary matrices
   G. Orthogonal matrices
III. Determinants
   A. Properties
   B. Evaluation by row reduction
   C. Cofactors and adjoints
   D. Formula for inverse of a matrix
   E. Cramer's rule
IV. Real Vector Spaces
   A. Defining properties
   B. Subspace
   C. Span
   D. Linear independence
   E. Basis
   F. Dimension
   G. Rank
   H. Solution space of a system of linear equations
   I. Inner product spaces
   J. Orthonormal bases
   K. Gram-Schmidt process
V. Linear Transformations
   A. Kernel
   B. Range
   C. Rank and nullity
   D. Matrix representation of linear transformation
   E. Similarity
   F. Change of basis
   G. One-to-one and onto
VI. Eigenvectors and Eigenvalues
   A. Characteristic equations
   B. Eigenspaces
       1. Diagonalization of matrices
       2. Orthogonal diagonalization of symmetric matrices
VII. Proofs applied to:
   A. Linear independence of vectors
   B. Properties of subspaces
   C. Linearity, subjectivity & surjectivity of functions
   D. Properties of Eigenvectors and Eigenvalues
VIII. Applications may include:
   A. Differential equations
   B. Fourier series
   C. Quadratic forms
   D. Gauss-Seidel method
   E. Partial pivoting
   F. Eigenvalues, Eigenvalue approximations & Eigenvectors

Assignment:

1. Reading outside of class (0-50 pages per week)
2. Problem sets (15-30)
3. Midterm exams (2-5), quizzes (0-20) and final exam

Methods of Evaluation/Basis of Grade:

Writing: Assessment tools that demonstrate writing skills and/or require students to select, organize and explain ideas in writing.

None, This is a degree applicable course but assessment tools based on writing are not included because problem solving assessments are more appropriate for this course.	Writing 0 - 0%

Problem Solving: Assessment tools, other than exams, that demonstrate competence in computational or non-computational problem solving skills.

Problem sets	Problem solving 5 - 20%

Skill Demonstrations: All skill-based and physical demonstrations used for assessment purposes including skill performance exams.

None	Skill Demonstrations 0 - 0%

Exams: All forms of formal testing, other than skill performance exams.

Exams and quizzes (free response, multiple choice, true/false)	Exams 80 - 95%

Other: Includes any assessment tools that do not logically fit into the above categories.

None	Other Category 0 - 0%

Representative Textbooks and Materials:
Elementary Linear Algebra (11th). Anton, Howard. Wiley: 2014
Linear Algebra and Its Applications (4th). Lay, David C. Pearson: 2012